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Lennard-Jones and Devonshire Equation of State at Low Temperatures

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IN recent years it has become increasingly apparent that the Lennard-Jones and Devonshire (LJD) model of molecular assemblies¹ is more appropriate to the solid state than to the liquid.² For this reason we have considered it worthwhile to extend the existing tabulations of the LJD equation of state^{3,4} to the region of low reduced temperatures in which the solid is the stable form. We have followed the method of Wentorf *et al.*,³ and in this note we have employed their system of symbols without redefinition.

The main part of the computations consisted in evaluating the integrals G , g_L , g_M [Eqs. (5)-(7) of reference 3], whose integrands at first increase steeply with increasing values of the variable y , reach a maximum, and then decrease more slowly. The integrations

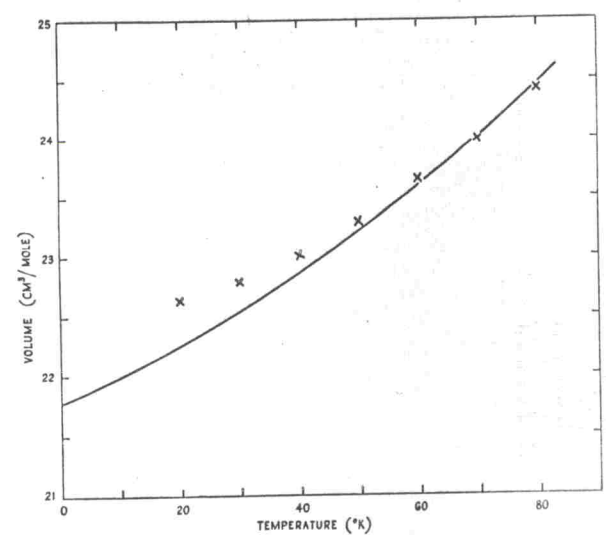


FIG. 1. The volume of solid argon (at its normal vapor pressure) as a function of the temperature. The crosses are experimental values,⁷ and the curve is given by the LJD theory.

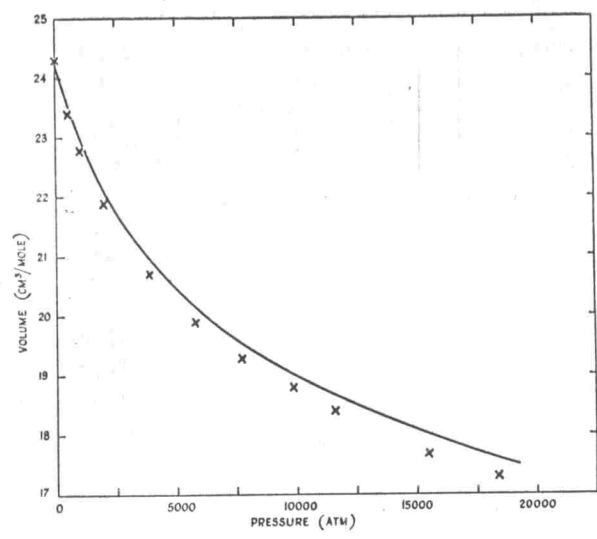


FIG. 2. The volume of solid argon at 77°K ($kT/\epsilon_m=0.643$) as a function of the pressure. The crosses are experimental values,⁸ and the curve is given by the LJD theory.

were carried out numerically using Simpson's rule and taking 80-90 values of the integrand. They were usually divided into three parts, the main one integrating through the peak of the integrand from 1/5 its height on one side to about the same height on the other, taking 60 intervals. Two subsidiary parts of 10-20 intervals evaluated (a) the "tail" of the curve, and (b) the initial steep portion down to a value of y for which the exponential factor in the integrand was very close to unity and the integration could be performed analytically. The results⁵ are presented in Table I in the form of a tabulation of the "compressibility factor" $p v / N k T$ at particular values of the reduced volume v/v_0 and temperature kT/ϵ_m . It should be noted that